

## Exercise #17

We have given,

min\_sup = 3

Each item can be represented by an integer (i.e. 4 bytes)

Each lock can be represented by an integer (i.e. 4 bytes)

For the Fixed Locking approach, the number of locks used is 8.

The size of a cache block is 64 bytes.

We have given below transactions,

T1: {P1, P2, P3, P5, P7}

T2: {P1, P4, P5, P6, P7}

T3: {P1, P4, P6}

T4: {P1, P4, P5, P6, P7}

T5: {P3, P5}

T6: {P1, P2, P3, P7}

T7: {P2, P7}

T8: {P1, P2, P3, P4, P6, P7}

Below table shows discovery of frequent item sets.

| Ck - Size 1 (7) | Ck - Size 2 (13) | Ck - Size 3 (9) | Ck - Size 4 (2)    |
|-----------------|------------------|-----------------|--------------------|
| P1 = 6          | P1, P2 = 3       | P1, P2, P3 = 3  | P1, P2, P3, P7 = 3 |
| P2 = 4          | P1, P3 = 3       | P1, P2, P7 = 3  | P1, P4, P6, P7 = 3 |
| P3 = 4          | P1, P4 = 4       | P1, P3, P7 = 3  |                    |
| P4 = 4          | P1, P5 = 3       | P1, P4, P6 = 4  |                    |
| P5 = 4          | P1, P6 = 4       | P1, P4, P7 = 3  |                    |
| P6 = 4          | P1, P7 = 5       | P1, P5, P7 = 3  |                    |
| P7 = 6          | P2, P3 = 3       | P1, P6, P7 = 3  |                    |
|                 | P2, P7 = 4       | P2, P3, P7 = 3  |                    |
|                 | P3, P7 = 3       | P4, P6, P7 = 3  |                    |
|                 | P4, P6 = 4       |                 |                    |
|                 | P4, P7 = 3       |                 |                    |
|                 | P5, P7 = 3       |                 |                    |
|                 | P6, P7 = 3       |                 |                    |

S = Size of Reduction object = 4 \* # of Reduction Elements

T = # of Threads (Processors).

Number of threads are not given so, I have assuming T = 4,

r = # of Elements

1. In Ck with Size 1, we have 7 Reduction Element in one Reduction Object;
  - Full Replication =  $S * T$   
Where  $S = 7*4 = 28$  and  $T = 4$   
 $S*T = 28*4 = \mathbf{112 \text{ Bytes}}$
  - Full Locking and Optimized Full Locking =  $2 * S$   
Where  $S = 7*4 = 28$   
 $2*S = 2*28 = \mathbf{56 \text{ Bytes}}$
  - Fixed Locking and Cache-Sensitive Locking =  $(1 + 1/r) * S$   
Where  $S = 7*4 = 28$  and  $r = 7$   
 $(1 + 1/r) * S = (1+1/7)*28 = \mathbf{32 \text{ Bytes}}$
  
2. In Ck with Size 2, we have 13 Reduction Element in one Reduction Object;
  - Full Replication =  $S * T$   
Where  $S = 13*4 = 52$  and  $T = 4$   
 $S*T = 52*4 = \mathbf{208 \text{ Bytes}}$
  - Full Locking and Optimized Full Locking =  $2 * S$   
Where  $S = 13*4 = 52$   
 $2*S = 2*52 = \mathbf{104 \text{ Bytes}}$
  - Fixed Locking and Cache-Sensitive Locking =  $(1 + 1/r) * S$   
Where  $S = 13*4 = 52$  and  $r = 13$   
 $(1 + 1/r) * S = (1+1/13)*52 = \mathbf{56 \text{ Bytes}}$
  
3. In Ck with Size 3, we have 9 Reduction Element in one Reduction Object;
  - Full Replication =  $S * T$   
Where  $S = 9*4 = 36$  and  $T = 4$   
 $S*T = 36*4 = \mathbf{144 \text{ Bytes}}$
  - Full Locking and Optimized Full Locking =  $2 * S$   
Where  $S = 9*4 = 36$   
 $2*S = 2*36 = \mathbf{72 \text{ Bytes}}$
  - Fixed Locking and Cache-Sensitive Locking =  $(1 + 1/r) * S$   
Where  $S = 9*4 = 36$  and  $r = 9$   
 $(1 + 1/r) * S = (1+1/9)*36 = \mathbf{40 \text{ Bytes}}$

4. In Ck with Size 4, we have 2 Reduction Element in one Reduction Object:

- Full Replication =  $S * T$   
Where  $S = 2 * 4 = 8$  and  $T = 4$   
 $S * T = 8 * 4 = \mathbf{32 \text{ Bytes}}$
  
- Full Locking and Optimized Full Locking =  $2 * S$   
Where  $S = 2 * 4 = 8$   
 $2 * S = 2 * 8 = \mathbf{16 \text{ Bytes}}$
  
- Fixed Locking and Cache-Sensitive Locking =  $(1 + 1/r) * S$   
Where  $S = 2 * 4 = 8$  and  $r = 2$   
 $(1 + 1/r) * S = (1 + 1/2) * 8 = \mathbf{12 \text{ Bytes}}$